

A Curved Light in a Curved Space

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My paper “**Light velocity changes with the gravitational potential of the reference frame**” shows that when the gravitational potential is changed from G to $G \cdot \gamma$, then the measurements of space, time and light velocity are also changed from (km, s and $c=300,000$ km/s) to ($\text{km} \cdot \gamma$, $s \cdot \gamma$ and $c'=300,000$ $\text{km} \cdot \gamma / s \cdot \gamma$). Light velocity is also changed from $c=300,000$ km/s to $c'=300,000$ $\text{km} \cdot \gamma / s \cdot \gamma$, because a velocity is calculated by dividing between space: $300,000 \text{km} \cdot \gamma$ and time: $s \cdot \gamma$. Thus, if space and time are changed, then a light velocity also will be changed.

To understand further, we considerate the experiments about “curved” light in the “curved” space or the gravitational potential when it changes as follows:

Assume that in the space of the Universe, there are three planets which are called planet: 1, planet: 2 and planet: 3. The positions of three that planets are on summits of triangle: ABC and the distance between summits of triangle: ABC are equal to each other. It means that the distance: $AB=BC=AC= 600,000$ km. Please seeing a **figure: 1**. At planet: 1 we arrange a lamp which can shine a ray of light and a clock and an observer who is in there in order to view and calculate the movement of a ray of light from a lamp at a planet: 1 to planet: 2, and from planet: 2 to planet: 3, and from a planet: 3 to return to planet: 1. At a planet: 2 we put a mirror so that reflecting a ray of light when it shines from a lamp at planet: 1 to planet: 3. At planet: 3, we also put a mirror in order to reflect a ray of light when it shines from planet: 2 to return to planet: 1. We will considerate the movements of a ray of light in three case of experiment.

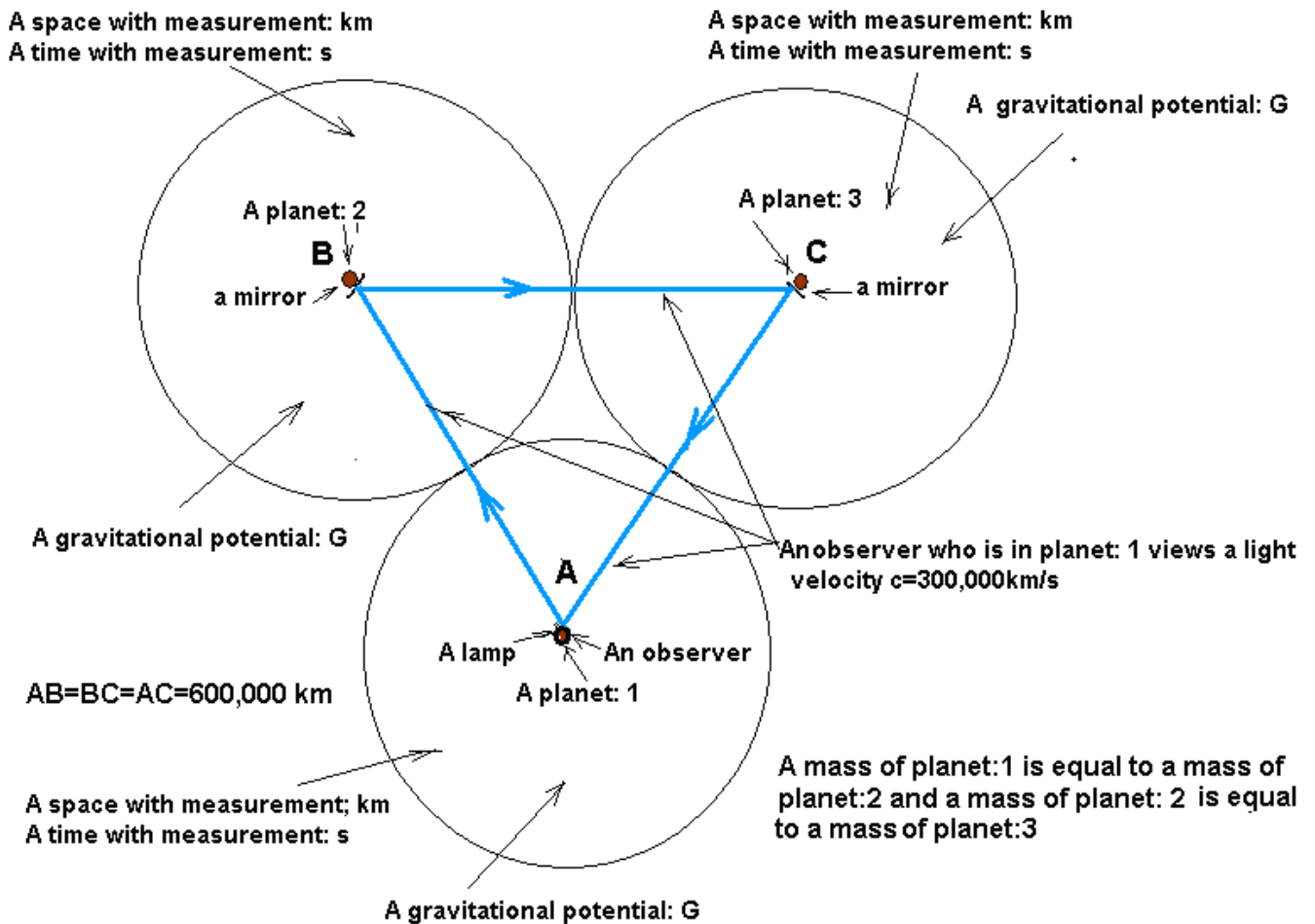
The firth case of experiment :

The mass of planet: 1 is equal to the mass of planet: 2 and the mass of planet: 2 is equal to the mass of planet: 3. This means that the measurements of space and time of all planets (planet: 1, planet: 2 and planet: 3) are the same. The measurements of space and time at planet: 1, planet: 2 and planet: 3 are space: km and time: s. An observer who is standing on planet: 1 turns on a lamp and a ray of light starts moving from planet: 1 to planet: 2. A mirror At planet: 2 reflecting that ray of light to planet: 3 and a mirror at planet: 3 reflecting it to return to planet: 1. After a ray of light finishes the trip, an observer who is on planet: 1 calculates time passing when a ray of light moves from starting to the end of the trip, he finds that:

$$time = \frac{path}{velocity} = \frac{3 \times 600,000 km}{300,000 km/s} = 6.s$$

He concludes that a light velocity is invariable and it is equal to $c=300,000$ km/s in this case .

Figure: 1



The second case of experiment :

The positions of planet: 1, planet: 2 and planet: 3 in this second case of experiment are same as the first experiment. It means that the distance: $AB=BC=AC=600,000$ km. The mass of planet: 1 is equal to mass of planet:2 , but mass of planet: 3 is larger than the mass of planet: 1. This means that the measurements of space and time which are around planet: 1 and planet: 2 are different from the measurement of space and time which are around planet: 3. (In Einstein’s general relativity, Einstein said that space and time depend on the gravitational potential and the gravitational potential depends on a mass of body). If the units of measurement of space and time on planet: 1 and planet: 2 are space: km and time: s , then the units of measurement of space and time on planet: 3 will be space: $km.\gamma$ and time: $s.\gamma$. (Please read paper: “**light velocity**

changes with the gravitational potential of reference frame” in General Science Journal, <http://wbabin.net/science/cuong8.pdf>)

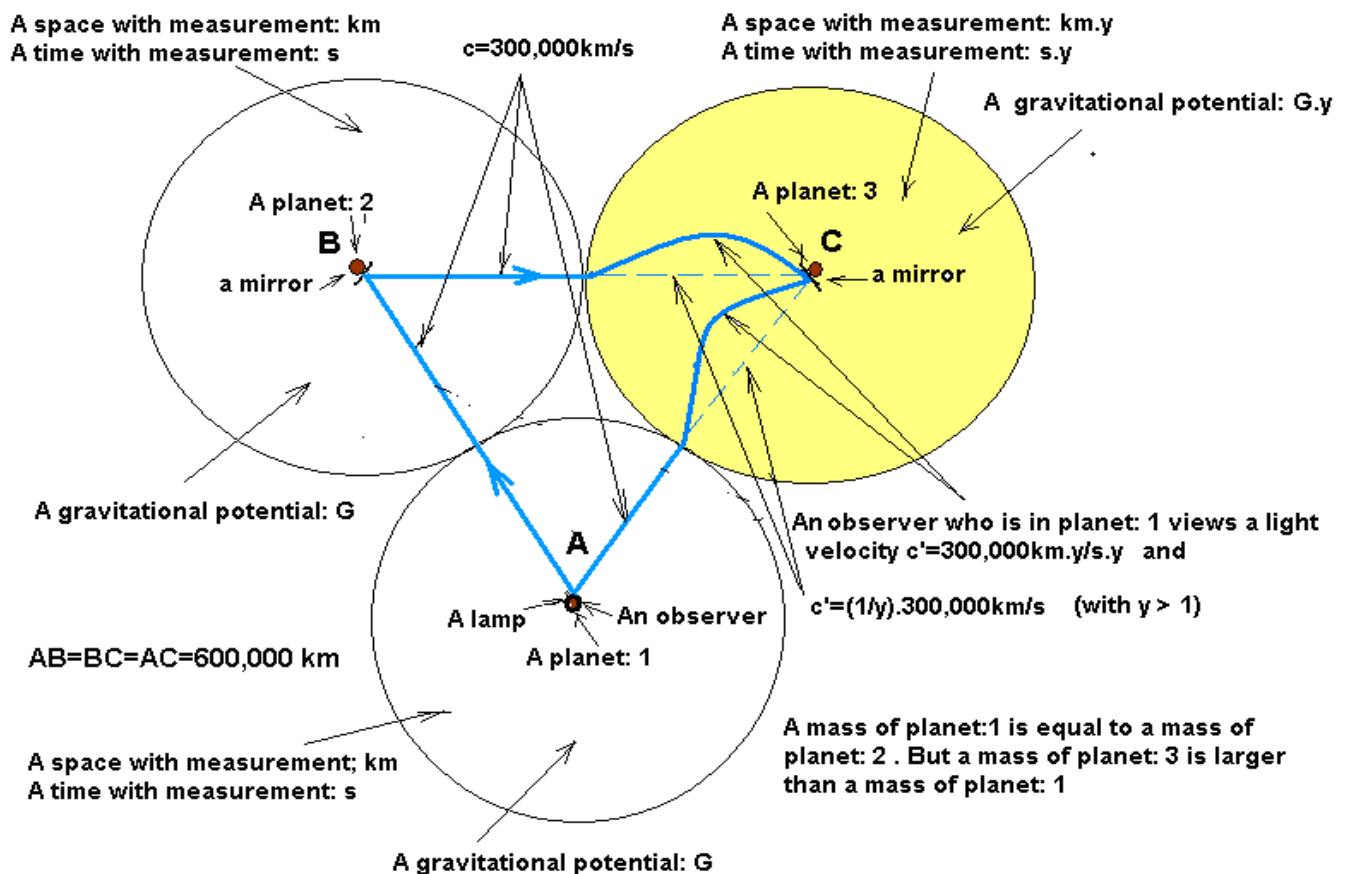
An observer who is on planet: 1, turns on a lamp again, and he views and calculates the time passing when a ray of light moves to planet: 2, and a mirror at planet: 2 reflecting that ray of light to planet: 3, and a mirror at planet: 3 reflecting it to return to planet: 1. After a ray of light finishes a trip, an observer on planet: 1 finds that time passes as follows:

$$time = \frac{path}{velocity} = \frac{2 \times 600,000km + 600,000km \cdot \gamma}{300,000km/s} = 4.s + 2.s \cdot \gamma > 6.s$$

(of which γ is delated coefficient and $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}} > 1$, so, $4.s + 2.s \cdot \gamma > 6.s$)

In this second experiment, ight velocity is slower than light velocity in the first experiment. We find that an observer in planet:1 views a ray of light in $\frac{1}{2} BC$ and $\frac{1}{2} AC$ with velocity: $c'=300.000 \text{ km/s} \cdot \gamma = (1/\gamma) \cdot 300,000\text{km/s}$ in a path: $\frac{1}{2} BC = \frac{1}{2} AC = 300,000 \text{ km}$, or with $c'=300,000 \text{ km} \cdot \gamma / s \cdot \gamma$ in “curved” path: $300,000\text{km} \cdot \gamma$. Please seeing a **figure: 2**.

Figure: 2



Note: An Observer who is on planet: 1 with measurement of space: km and time: s views that a ray of light moves in the “curved” space and time of planet: 3 with velocity: $c'=300,000 \text{ km}\cdot\gamma/\text{s}\cdot\gamma$ in a “curved” path with the distance of $300,000\text{km}\cdot\gamma$. And if that observer is on planet: 3, he also views a ray of light moving with velocity: $c'=300,000\text{km}\cdot\gamma/\text{s}\cdot\gamma$ in his measurement of space: $\text{km}\cdot\gamma$ and time: $\text{s}\cdot\gamma$ at planet: 3. Thus, we can't make the calculation:

$$c'=300,000 \text{ km}\cdot\gamma/\text{s}\cdot\gamma=c=300,000\text{km}/\text{s} .$$

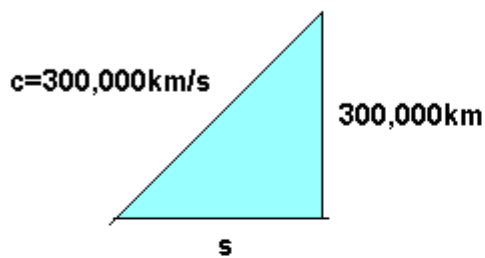
If we the make calculation as such, it means that the space and time of planet: 3 won't be changed and Einstein's Special Relativity won't be valid. So

$$c' =300,000 \text{ km}\cdot\gamma/\text{s}\cdot\gamma \neq c =300,000 \text{ km}/\text{s}$$

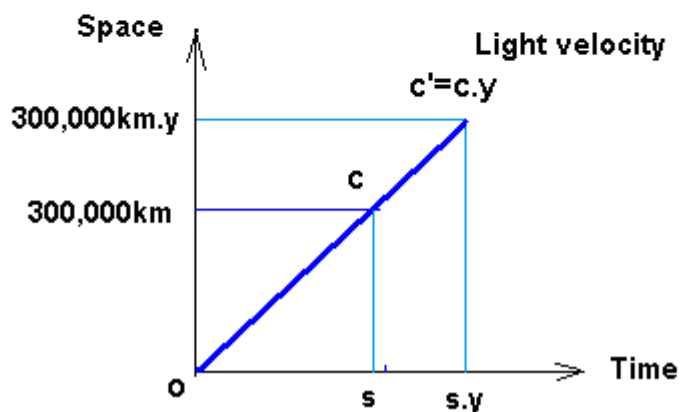
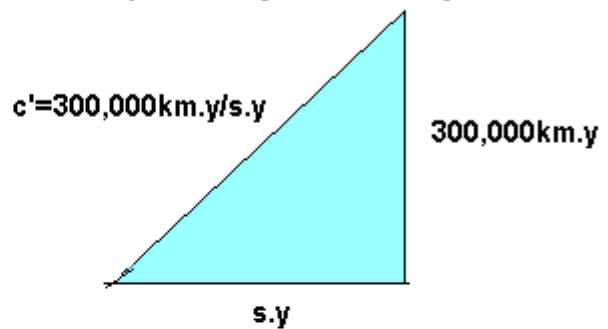
Please read a paper: “**Mathematical postulate 1:2≠2:4**” in GSI, (<http://wbabin.net/science/cuong14.pdf>). Light velocity in a frame of reference with measurement of space: km and time: s is only similar, but not equal to a light velocity in the frame of reference with measurement of space: $\text{km}\cdot\gamma$ and time: $\text{s}\cdot\gamma$. It can be illustrated in **figure: 3** as follows:

Figure: 3

A frame of reference with a measurement of space: km and time: s



A frame of reference with a measurement of space: $\text{km}\cdot\gamma$ and time: $\text{s}\cdot\gamma$



The third experiment :

The positions of planet: 1, planet: 2 and planet: 3 in the third experiment are the same as in the first experiment. It means that the distance: $AB=BC=AC=600,000$ km . The mass of planet: 1 is equal to mass of planet: 2 , but the mass of planet: 3 is smaller than the mass of planet: 1 . So, the measurement of space and time at planet: 1 and planet: 2 are different from the measurement of space and time at planet: 3 . If the units of measurement of space and time at planet: 3 in the second experiment are space: $km \cdot \gamma$ and time: $s \cdot \gamma$, then the units of measurement of space and time at planet: 3 in the third experiment will be contradicted. It means that the units of measurement of space and time at planet: 3 in this third experiment are space: km/γ and time: s/γ . All case of experiment, the units of measurement of space and time at planet: 1 and planet: 2 are not changed. Their units of measurement of space and time are space: km and time: s .

An observer who is on planet: 1 turns on a lamp again, and he views the movement of a ray of light starting from planet: 1 to a planet: 2 , and from planet: 2 reflecting to planet: 3, and from a planet: 3 reflecting to return a planet: 1. Afer a ray of light finished a trip, an observer calculates time passing of a ray of light, he calculates that:

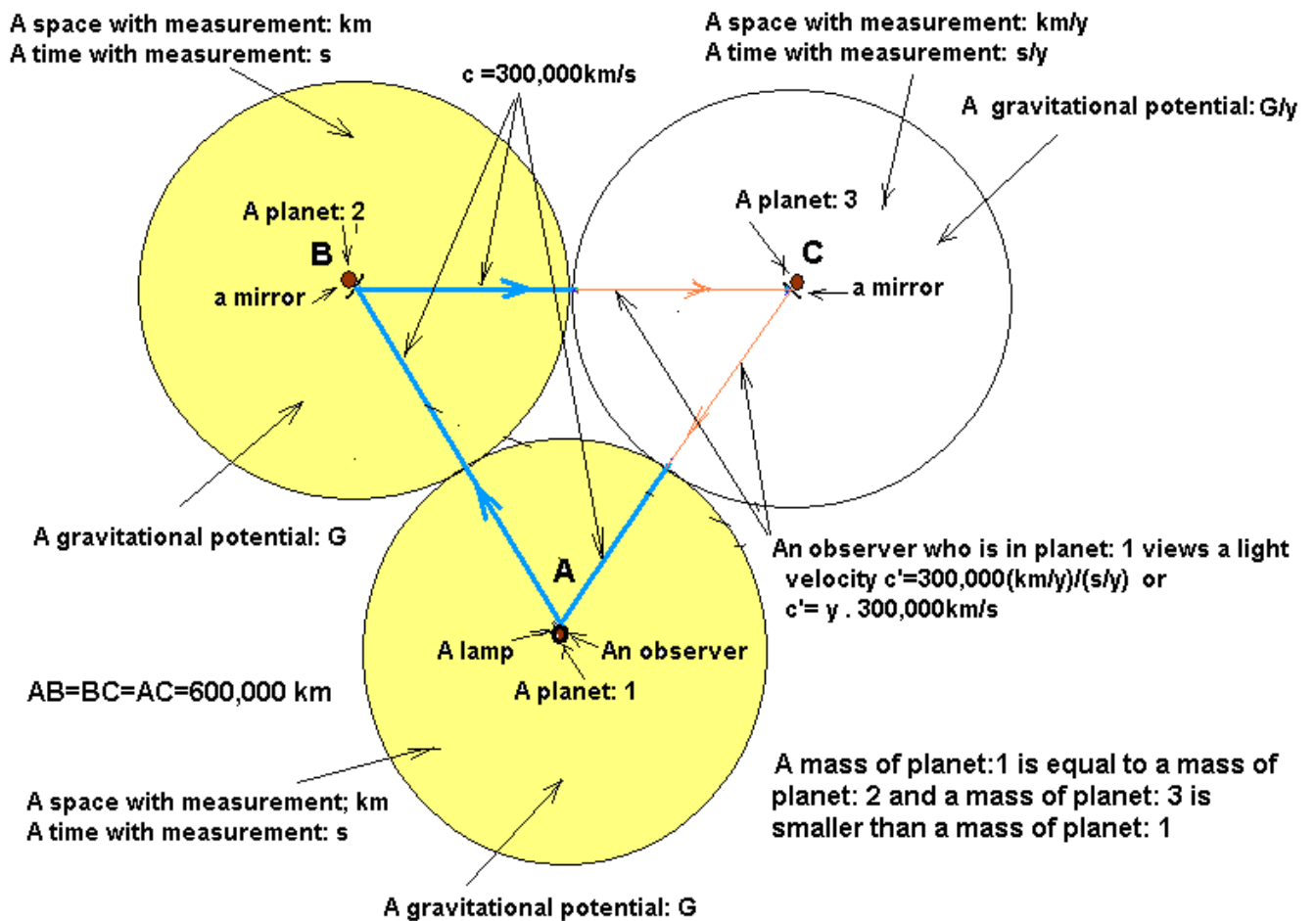
$$time = \frac{path}{velocity} = \frac{2 \times 600,000km + 600,000km/\gamma}{300,000km/s} = 4.s + \frac{2.s}{\gamma} < 6.s \quad (\text{with } \gamma > 1)$$

In this third case of experiment, an observer who is on planet: 1 finds that the movement of a ray of light in space and time at planet: 3 with velocity: $c'=300,000$ (km/ γ)/(s/ γ) in a “curved” path: is $300,000km \cdot (1/\gamma)$, or with velocity:

$$c'=300,000km/(s/\gamma) = \gamma \times 300,000km/s.$$

Obviously, light velocity: c' in this third experiment is faster than light velocity: c in the first experiment. Please see **figure: 4** .

Figure: 4



Conclusion :

From three case of experiment as above, we find that the space and time depend on the gravitational potential, so there is no “empty space” so that light velocity is constant as Einstein’s second postulate in his paper: “On the Electrodynamics of moving Bodies”.

In the universe a light velocity is not constant and it depends on the space which is contained by the gravitational potential of a heavenly body's mass. In the other words, when the space and time of a frame of reference are changed, then light velocity is also changed.

In the third experiment, we find that where there is a weak gravitational potential, light velocity: c' is faster than a light velocity: c . So, light velocity: c is not the limit

of all velocities as per Einstein’s announcement and the fomula: coefficient $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$

is not correct. (From this formula: coefficient γ , Einstein has predicated that light velocity is the limit of all velocities).

Because light velocity: c is not the limit of all velocities and Einstein's formula: coefficient γ is not correct, we must revise the formula: coefficient γ from $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$

to $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2 + v^2}}}$.

Please read papers: “**Light velocity is not the limited of all velocities**” , (<http://wbabin.net/science/cuong15.pdf>) and “**On the Electrodynamics of Moving Bodies, Revised**” (<http://wbabin.net/science/cuong19.pdf>), to understand that.

Hanoi, June 28, 2010