

When the Speed of a Proton is the Speed of Light

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The relativistic energy formula: $E_r = m_r \cdot c^2 = m_o \cdot \gamma \cdot c^2$ (with $c = \text{constant}$) in Einstein's Special Relativity is applied in LHC. But with Einstein's dilation coefficient $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$ and

when a speed: v of protons is equal to the speed of light: c , nobody can calculate the energy or mass of protons exactly. Because if the speed of protons is equal to the speed of light, $v = c$, then Einstein's dilated coefficient γ will be $\gamma = \frac{1}{0}$. Furthermore, Einstein's relativistic energy formula is $E_r = m_r \cdot c_r^2$, not $E_r = m_r \cdot c^2$ (with $c = \text{constant}$). So, I think that the experiments to accelerate protons to the speed of light can't be successful.

They can only be successful, if Einstein's dilated coefficient $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c^2}}}$ and relativistic

energy formula $E_r = m_r \cdot c^2$ (with $c = \text{constant}$) are revised by $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c_r^2}}} = \frac{1}{\sqrt{1 - \frac{v^2}{c_o^2 + v^2}}}$

(with $c = c_o$), and $E_r = m_r \cdot c_r^2$. This is because from $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c_r^2}}} = \frac{1}{\sqrt{1 - \frac{v^2}{c_o^2 + v^2}}}$ and

$E_r = m_r \cdot c_r^2$, Although the speed of protons is equal to the speed of light, the scientists at LHC can also calculate its energy or mass exactly to make their machine acceleration.

Assume that the speed of proton is equal to the speed of light: c_o , ($v = c_o$, v is a speed of proton), from coefficient $\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c_o^2 + v^2}}}$ we find that $\gamma = \frac{1}{\sqrt{1 - \frac{c_o^2}{c_o^2 + c_o^2}}} = \frac{1}{\sqrt{1 - \frac{1}{2}}} = \sqrt{2}$.

Since $\gamma = \sqrt{2}$ and a formula: $m_r = m_o \cdot \gamma$, we find that $m_r = m_o \cdot \sqrt{2}$, (of which m_r is a mass of proton when it moves with speed of light; m_o is a mass of proton when it doesn't move and it is $m_o = 1840$).

But if a mass of proton is increased from m_0 to $m_r = m_0 \cdot \sqrt{2}$, how much will we spend on energy to make it? Which formula will we apply to calculate it? Of course, we must apply formula: $E_r = m_r \cdot c_r^2$, and not formula: $E_r = m_r \cdot c_0^2$. This is because Einstein's first postulate is that physical laws are the same in fixed and uniformly moving frames. (A formula: $E_r = m_r \cdot c_0^2$ with m_r is in a moving frame, but c_0 is in a fixed frame. It may be considered as "taking the wrong sow by the ear"). If we apply c_0 which is in a fixed frame for a formula which is in a moving frame, it means that Einstein's first postulate in special relativity won't apply.

Since we must apply formula: $E_r = m_r \cdot c_r^2 = m_0 \cdot \gamma \cdot (c_0 \cdot \gamma)^2 = m_0 \cdot \gamma^3 \cdot c_0^2$, we find that if the speed of a proton is accelerated to the speed of light so that the mass of the proton is increased from m_0 to $m_r = m_0 \cdot \sqrt{2}$, then we will expend energy, which is

$$E = E_r - E_0 = m_0 \cdot \gamma^3 \cdot c_0^2 - m_0 \cdot c_0^2 = m_0 \cdot (\sqrt{2})^3 \cdot c_0^2 - m_0 \cdot c_0^2 = m_0 \cdot c_0^2 \cdot [(\sqrt{2})^3 - 1].$$

(Where E_r is the energy of the proton when it moves with the speed of light; E_0 is the energy when it doesn't move; m_0 is the mass of the proton with $m_0 = 1840$; and $c_0 = c = \text{constant}$ is our light velocity).

If the energy which is equivalent to a magneto-electric force of machine acceleration in LHC is smaller than energy: $E = m_0 \cdot c_0^2 \cdot [(\sqrt{2})^3 - 1]$, then a machine acceleration in LHC will break down or the speed of the proton will be smaller than the speed of light.

Note : In above, the energy, E is the energy which we must expend for one proton when its mass is increased from m_0 to $m_r = m_0 \cdot \sqrt{2}$, (from $m_0 = 1840$ to $m_r = 1840 \cdot \sqrt{2}$).
 $c = c_0 = \text{constant}$ and $c_r = \text{constant}$, but $c = c_0$ is different from c_r .

Conclusion :

Everyone is waiting for the result of the experiment in search of particle: "Higg" in LHC, (it will attempt to accelerate the speed of protons to the speed of light in this year, 2009).

I think that if the speed of the proton is equal to a speed of light and an energy which is equivalent to the magneto-electric force of machine acceleration is smaller than energy: E , which was calculated as above so that the machine acceleration in LHC breaks down again, then light velocity won't be a universal constant as per Einstein's second postulate and Einstein's relativistic energy formula will revise from $E_r = m_r \cdot c^2$ (with $c = \text{constant}$) to $E_r = m_r \cdot c_r^2$ absolutely.

Hanoi, January 9, 2009 .