

A DIFFERENT CALCULATION OF PLANCK'S TEMPERATURE

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We use the functions of the paper: electromagnetic interaction of gravity¹

$\pi^* = 3,1598..$ constant with units , Q = electrical charge , T = temperature ,
 f^* = remnant force , l = length , m = mass , c = speed of light
 $k = e/meg$, e = electron charge , $meg = 4,66 \times 10^{-9} .kg$, $k = 8,6164 \times 10^{-11} .Cb/kg$

from the paragraph "nature of the basic equation and π^* " we have at the end 151-153 the function of the paper :

$$\pi^{*2} = (\sqrt{2\pi}) \cdot N^2 \cdot Q^3 \cdot T^2 / (f^{*2} \cdot l^2 \cdot m)$$

This function comes from the central function by hypothesis 5, $lg = \sqrt{2\pi} \cdot lc$
In the above, we must replace the error 2π by the $\sqrt{2\pi}$

we replace the energy $E = f^* \cdot l$

$$\pi^{*2} = (\sqrt{2\pi}) \cdot N^2 \cdot Q^3 \cdot T^2 / (E^2 \cdot m)$$

$E = m \cdot c^2$ so

$$\pi^{*2} = (\sqrt{2\pi}) \cdot N^2 \cdot Q^3 \cdot T^2 / (m^3 \cdot c^4)$$

$Q = k \cdot m$, hypothesis 2

$$\pi^{*2} = (\sqrt{2\pi}) \cdot N^2 \cdot k^3 \cdot T^2 / c^4$$

$$\pi^{*2} \cdot c^4 / (\sqrt{2\pi}) \cdot k^3 = N^2 \cdot T^2$$

$$N \cdot T = \pi^* \cdot c^2 / ((2\pi)^{1/4} \cdot k^{3/2})$$

For $N=1$ then $T = 2\pi \cdot T_{planck}$

This accepted for $l^* = l/2\pi$ so $T = T_{planck}$

We can see that from the central function of paper we can get the temperature of Planck directly with length $l = 2\pi \cdot l^*$, hypothesis 4 with $l^* = lc$ and $\lambda = l$. Also we have a different extraction of T_{planck} . These indicate that the central function is in agreement with the acceptable unified theory and all the hypotheses we used could be in force.

¹ <http://wbabin.net/science/alexandris.pdf>